



In order to find the total size of the pressure, first take a micro area  $dA$  in the plane  $A$  and that the from the depth to the surface is  $h$ . The above atmospheric pressure, The total pressure on the micro area  $dA$  is  $dP$ .

$$dP = p dA = \gamma h dA \quad (1)$$

According to the triangle relationship,

$$h = y \sin \alpha \quad (2)$$

$y$  is the area element to  $ox$  axis distance, So can write

$$dP = \gamma y \sin \alpha dA \quad (3)$$

On the type of area integration and the total pressure is  $P$

$$P = \int_A dP = \gamma \sin \alpha \int_A y dA \quad (4)$$

$\int_A y dA$  is the area moment of X axis represent for the area of  $A$ .

It is equal to the product of the area  $A$  and centroid coordinates  $y_C$ .

$p_C$  stands the hydrostatic pressure that in the center of  $C$ .

$$P = \gamma \sin \alpha y_C A = \gamma h_C A = p_C A \quad (5)$$

It shows that the product of the size of total pressure acting on the arbitrary plane is equal to the area and the centroid point pressure of the plane. And this conclusion is also true for the pressure  $p_0$  on the surface. Engineering encountered in the plane graphics are generally more rules of the geometry and centre of form relatively easy to determine.

Equation (5) is more convenient to use. The direction of the total pressure is bound to point to the role of the vertical surface according to the characteristics of the static pressure.

## 2.2 The function point of total pressure

The action point of the total pressure is called the center of pressure. The position of the center point  $D$  of the symmetric plane is only needed to determine the value of a coordinate.

According to the principle of mechanical torque on parallel force system, the force on the shaft torque and the torque is equal to the resultant force on the shaft, which can be written as

$$P y_D = \int y dP \quad (6)$$

Comprehensive analysis the Equation (4)(5)(6), which can be written as

$$\gamma \sin \alpha y_C A y_D = \int y \gamma y \sin \alpha dA \quad (7)$$

Reckon the Equation (6) can get

$$y_D = \frac{\int y^2 dA}{y_C A} \quad (8)$$

$\int_A y dA$  is the moment of inertia for the area of  $A$  relative to the X axis represent. That can be represented by  $J_x$ .

$$y_D = \frac{J_x}{y_C A} \quad (9)$$

According to the theorem of parallel moving axes of moment of inertia  $J_x = J_c + y_c^2 A$ , the moment of inertia  $J_x$  for the area of  $J_x$  relative to the X axis represent can be shown in  $J_c$ .

$$y_D = \frac{J_c + y_c^2 A}{y_c A} = y_c + \frac{J_c}{y_c A} \tag{10}$$

$\frac{J_c}{y_c A} > 0$ , So  $y_D > y_c$  that is to say the center of pressure D always below C that is the centroid of the plane.

### 3. Model and theoretical analysis of remaining oil channel selection

The remaining oil in the porous capillary needs to be considered. By determining the residual oil centroid, and then determine the force center. Connection center of action and the intersection of capillary wall. Division of the capillary zone. As is shown in the charts,  $O$  represent the center of action for oil droplets or oil film and the letters representation area that Less than flat area.

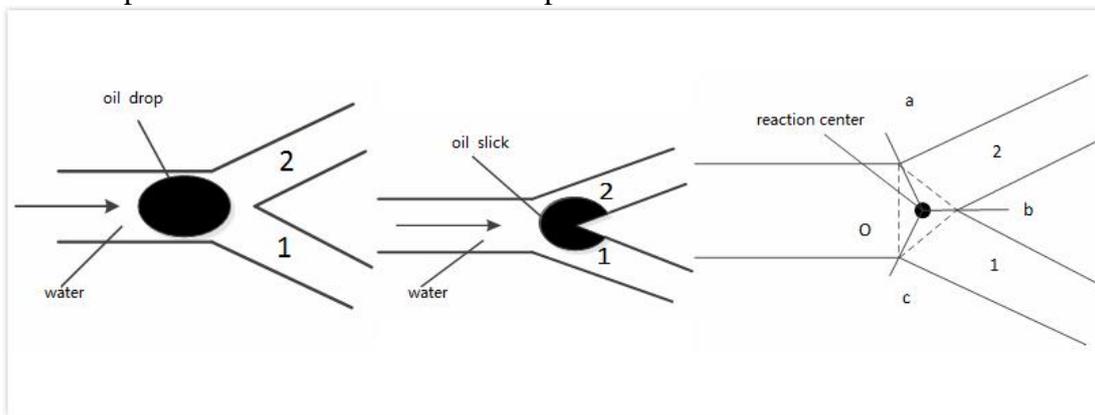


Fig. 2 Two channel selection model of oil droplets or oil film

As is shown in the Fig.2 that in the role of water drive if the center of action for  $O$  moved into the area of  $cob$  and it select the 1 channel. if the center of action for  $O$  moved into the area of  $aob$  and it select the 2 channel. if the center of action for  $O$  moved into the area of  $aoc$  and it circle round.

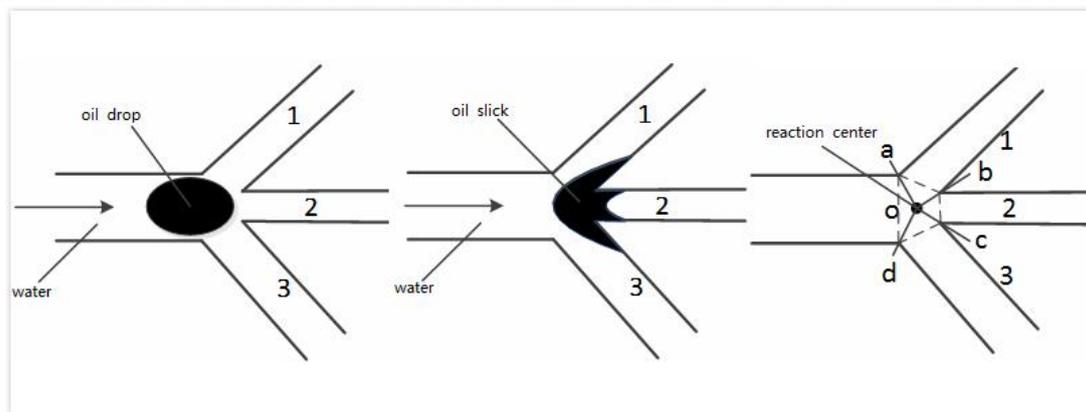


Fig. 3 Two channel selection model of oil droplets or oil film

As is shown in the Fig.3 that in the role of water drive if the center of action for  $O$  moved into the area of  $aob$  and it select the 1 channel. if the center of action for  $O$  moved into the area of  $cob$  and it select the 2 channel. if the center of action for  $O$  moved into the area of  $cod$  and it select the 3 channel. if the center of action for  $O$  moved into the area of  $aod$  and it circle round.

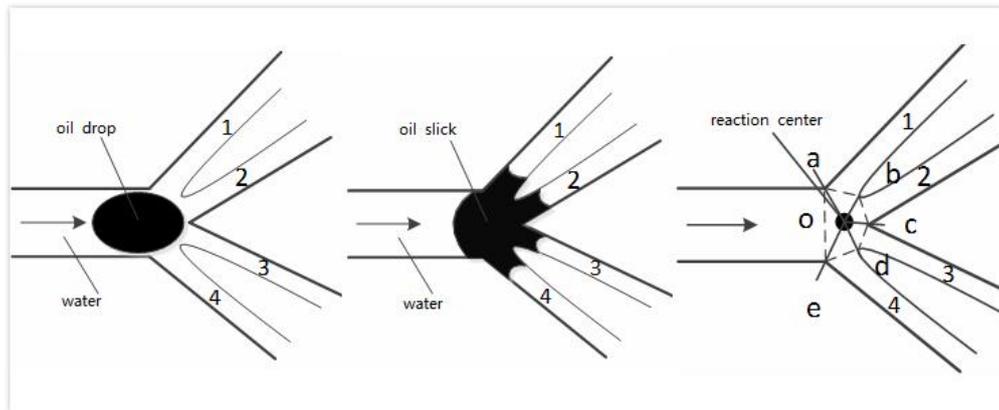


Fig. 4 Two channel selection model of oil droplets or oil film

As is shown in the Fig.4 that in the role of water drive if the center of action for  $o$  moved into the area of  $aob$  and it select the 1 channel. if the center of action for  $o$  moved into the area of  $cob$  and it select the 2 channel. if the center of action for  $o$  moved into the area of  $cod$  and it select the 3 channel. if the center of action for  $o$  moved into the area of  $eod$  and it select the 4 channel. if the center of action for  $o$  moved into the area of  $aoe$  and it circle round.

When the center of the action changes, the channel selection also changes. Therefore, the key to solve the problem of channel selection is to determine the center of action.

#### 4. Conclusion

In extra high water cut stage, the remaining oil drops and the oil film select the channel according to the force of the point of its action.

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